**Incorporating Relatives** 

#### Relatives

Because DNA profiles are inherited, relatives are more likely to share a DNA profile than unrelated individuals.

 $H_p$ : The DNA in the sample came from the suspect.

 $H_d$ : The DNA in the sample came from an unrelated individual.

 $H_p$ : The DNA in the sample came from the suspect.

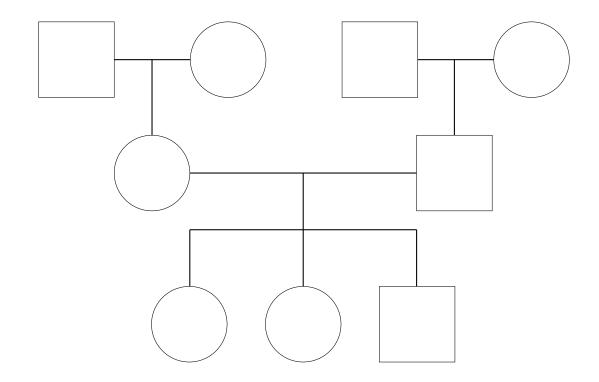
 $H_d$ : The DNA in the sample came from a brother of the suspect.

The relationship type can be anything: parent, child, sibling, uncle, cousin, etc.

The more distant the relationship, the closer the value will become to the LR considering unrelated individuals.

### **Pedigrees**

Pedigrees provide a graphical representation of relationships.



Individuals are said to be related if they share a common ancestor. Relationships can be unilateral (one-sided) or bilateral (two-sided).

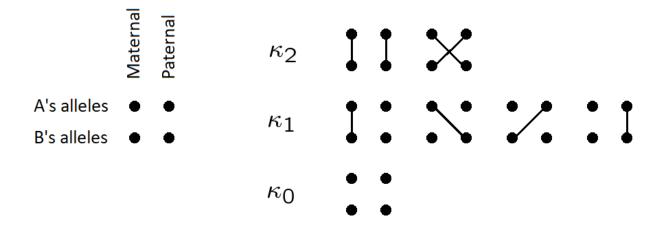
# **Identity By Descent**

- Relatives are similar because they share alleles that are identical by descent (IBD).
- IBD alleles are copies of the same allelic type inherited through a common ancestor (and ignores mutation).
- A pedigree or relationship determines IBD probabilities, which determine probabilities of joint genotypes.

#### **IBD** Coefficients

For *non-inbred* relatives, there are three IBD classes. We write  $\kappa_i$  to denote the IBD probabilities:

$$\kappa_i = \Pr(i \text{ alleles IBD})$$



#### **IBD** Coefficients

The following table shows IBD probabilities for common relationships:

Relationship	$\kappa_{0}$	$\kappa_{1}$	$\kappa_2$
Unrelated	1	0	0
Parent/child	0	1	0
Identical twins	O	O	1
Siblings	1/4	1/2	1/4
Half-sibs	1/2	1/2	0
First cousins	3/4	1/4	0

These IBD probabilities give the expected relatedness between individuals (the realized relatedness is variable).

#### Match Probabilities for Relatives

If  $\kappa_0 = 1$ , we are in the original situation and write  $M_2$  for the appropriate match probability:

$$M_2 = \begin{cases} p_A^2, & \text{for homozygous loci } AA, \\ 2p_A p_B, & \text{for heterozygous loci } AB. \end{cases}$$

If  $\kappa_1 = 1$ , the match probability  $M_1$  changes to:

$$M_1 = \left\{ \begin{array}{cc} p_A, & \text{for homozygous loci } AA, \\ \frac{1}{2}(p_A + p_B), & \text{for heterozygous loci } AB. \end{array} \right.$$

If  $\kappa_2 = 1$ , both alleles are IBD and the match probability is 1.

### Match Probabilities for Relatives

Combining the terms leads to the overall single-locus match probability for relatives:

$$\kappa_2 + \kappa_1 M_1 + \kappa_0 M_2$$
,

which yields a standard match probability of  $M_2$  for unrelated individuals.

#### LRs for Relatives

With this approach we can incorporate specific relatives. But what if no specific alternative is available?

 $H_d$ : The DNA in the sample came from an unrelated individual.

 $H_d$ : The DNA in the sample came from a brother of the suspect.

 $H_d$ : The DNA in the sample came from an unknown individual from the population.

## LRs Including Relatives

- We can model a situation where relatives of the suspect make up a small proportion of the total population.
- Background information may be used to assess plausible values for the number of relatives in each category.
- An overall LR can be calculated as a weighted average over the sets.