

# Welcome to SISG, Module 9

## Introduction to Quantitative Genetics

- Your instructors
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  - Guilherme Rosa
- Our TAs
  - Arthur Fernandes
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# Breakout groups

- You will be randomly assigned with four other students (which will change each time we send you to a room), so at the start of each, please introduce yourself (plan on at most a minute per person)
  - Name (also, **type for name in the Chat box**)
  - Current position (student, researcher, professor, etc)
  - Where you are currently working
  - A QUICK 15-20 second summary of what you are working on
  - A fun fact about yourself!
  - Hint! Takes notes on these details for your group mates, as each new group will be different.

# Questions for first breakout

- What are breeding values and additive genetic variances?
- How are these concepts important in your project/work?
- Spend 20-25 minutes discussing these in your group and then we will reform and discuss this in four larger groups (roughly 35 people each)

# Quick break

- Back at 11: xx PDT
- We will return from groups at xx PDTA

# Questions for breakout three

- 1) What is the additive-genetic covariance between a fully inbred parent and an offspring that is inbred to  $f = \frac{1}{2}$ .
- 2) Consider the additive-genetic covariance between two full sibs, where the father is not inbred and the mother is fully inbred. Further, the COC between the two parents is  $\frac{1}{4}$

# Answers

- 1)  $\Theta_{PO} = (1 + f_p + 2f_o)/4$   
 $= (1 + 1 + 2[1/2])/4 = 3/4$   
 $\text{Cov}(P, O) = 2\Theta_{PO}\text{Var}(A) = 1.5*\text{Var}(A)$   
3 times the value for noninbred relatives
- 2)  $\Theta_{FS} = (2 + f_m + f_f + 4\Theta_{mf})/8$ 
  - $= (2 + 0 + 1 + 4[1/4])/8 = (4)/8 = 1/2$
  - $\text{Cov}(FS) = 2\Theta_{FS}\text{Var}(A) = \text{Var}(A)$
  - Twice the value for noninbred relatives

# Questions for breakout three

- Compare and inbreeding depression and heterosis and discuss how these concepts reventant to your project
- ~ 25 minutes in your group
  - 5 minutes (total) introductions
  - ~ 20 minutes
- We will then reform to four larger groups for discussion of this questions and other issues/ questions from the first three lectures

# Discussion Problem 1

- (From slide 23) Here is the generalized breeder's equation (below)
- 1) Discuss the significance of its components and how they can be exploited by breeding design
- 2) Genomic selection uses marker information in place of phenotypes to select individual. How might this enhance response?

$$R_y = \frac{i_m + i_f}{L_m + L_f} r_{uA} \sigma_A$$



- $r$  is the correlation between the index used to choose parents and the breeding values of those parents (marker information, phenotypes of relatives)
- $i$  is the selection intensity
- $L$  is the generation interval
- Genomic selection
  - Does not really improve  $r$ , but can greatly increase  $i$  and greatly shorten  $L$

## Discussion Problem 2

- Suppose  $G(1,1) = 10$ ,  $G(1,2) = G(2,1) = -3$ , and  $G(2,2) = 4$ . Likewise, suppose  $Beta(1) = 1$  and  $Beta(2) = 0$ . What are the responses in both traits?
- Suppose you want trait 1 to change but trait two unchanged. Again, suppose  $Beta(1) = 1$ , what value for  $Beta(2)$  will accomplish this goal?

$$\mathbf{G} = \begin{pmatrix} 10 & -3 \\ -3 & 4 \end{pmatrix}, \quad \beta = \begin{pmatrix} 1 \\ 0 \end{pmatrix}$$

$$\mathbf{R} = \begin{pmatrix} 10 & -3 \\ -3 & 4 \end{pmatrix} \begin{pmatrix} 1 \\ 0 \end{pmatrix} = \begin{pmatrix} 10 \\ -3 \end{pmatrix}$$

Response in trait 2 =

$$G(2,1)\beta_1 + G(2,2)\beta_2 = 0$$

$$-3 \cdot 1 + 4 \cdot \beta_2 = 0$$

for  $4\beta_2 = 3$ , or  $\beta_2 = 3/4$

$$\mathbf{R} = \begin{pmatrix} 10 & -3 \\ -3 & 4 \end{pmatrix} \begin{pmatrix} 1 \\ 3/4 \end{pmatrix} = \begin{pmatrix} 10 \cdot 1 - 3 \cdot (3/4) \\ -3 \cdot 1 + 4(3/4) \end{pmatrix} = \begin{pmatrix} 7.75 \\ 0 \end{pmatrix}$$