## Example - HLA-B and abacavir



T-cell receptor

Tolerized endogenous peptide


HLA on antigen-presenting cell

## FDA requires testing for abacavir

- Treatment with abacavir is generally well tolerated, but $5 \%$ of the patients experience hypersensitivity reactions that can be life threatening and warrant immediate discontinuation of the drug.
- Presence of at least one copy of the HLA-B*5701 allele has a very high odds ratio for developing hypersensitivity with abacavir. $6.7 \%$ of people have at least one copy of a HLA-B*5701 allele.
- $50 \%$ of the hypersensitivity is attributed to the effects of the HLAB*5701 allele.
- This equals the maximum percentage of cases that can be prevented if individuals who test positive for HLA-B*5701 are not treated with abacavir but receive alternative treatment.


## Let's calculate the odds ratio ( $\mathrm{n}=100$ )

|  |  | Hypersensitivity |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Yes | No | Total |
| HLA-B | $5701+$ | a | b | a+b |
|  | $5701-$ | $c$ | d | c+d |
| Total |  | a+c | b+d | 100 |

What we know:
Hypersensitivity occurs in $5 \%$ of people.
$50 \%$ of hypersensivity (cases) occurs in 5701+ individuals.
The $5701+$ allele is found in $6.7 \%$ of people.

## Let's calculate these values ( $\mathrm{n}=100$ )

ODDS
RATIO

|  |  | Hypersensitivity |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Cases | Controls | Total |
| HLA-B | 5701+ | $\mathbf{2 . 5}$ | b | a+b |
|  | $5701-$ | $\mathbf{2 . 5}$ | d | c+d |
| Total |  | a+c=5 | b+d=95 | 100 |

What we know:
Hypersensitivity occurs in $5 \%$ of people.
$50 \%$ of hypersensivity (cases) occurs in 5701+ individuals.
The $5701+$ allele is found in $6.7 \%$ of people.

## Let's calculate these values ( $\mathrm{n}=100$ )

ODDS
RATIO

|  |  | Hypersensitivity |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Cases | Controls | Total |
| HLA-B | $5701+$ | 2.5 | b | $\mathbf{6 . 7}$ |
|  | $5701-$ | 2.5 | d | $\mathbf{9 3 . 3}$ |
| Total |  | $a+c=5$ | $b+d=95$ | $\mathbf{1 0 0}$ |

What we know:
Hypersensitivity occurs in $5 \%$ of people.
$50 \%$ of hypersensivity (cases) occurs in 5701+ individuals.
The 5701+ allele is found in 6.7\%

## Let's calculate these values ( $\mathrm{n}=100$ )

ODDS
RATIO

|  |  | Hypersensitivity |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Cases | Controls | Total |
| HLA-B | $5701+$ | 2.5 | $\mathbf{4 . 2}$ | 6.7 |
|  | $5701-$ | 2.5 | $\mathbf{9 0 . 8}$ | 93.3 |
| Total |  | a+c=5 | b+d=95 | 100 |

What we know:
Hypersensitivity occurs in $5 \%$ of people.
$50 \%$ of hypersensivity (cases) occurs in 5701+ individuals.
The 5701+ allele is found at a frequency of $6.7 \%$

## Let's calculate these values ( $\mathrm{n}=100$ )

|  |  | Hypersensitivity |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Yes | No | Total |
| HLA-B | $5701+$ | 2.5 | 4.2 | 6.7 |
|  | $5701-$ | 2.5 | 90.8 | 93.3 |
| Total |  | $a+c=5$ | $b+d=95$ | 100 |

$\mathrm{OR}=\frac{a / b}{c / d}=\frac{a d}{b c}$
$(2.5 * 90.8) /\left(4.2^{*} 2.5\right)=21.6$
$\ln \left(\frac{p}{1-p}\right)=\mathrm{a}+\mathrm{B}^{\star}(5701+=0$ or 1$)$
$\log$ odds hypersensitivity $=\ln (2.5 / 90.8)+\ln (21.6) X_{5701+}$
Odds in 5701- = 2.5/90.8
Odds in $5701+=2.5 / 4.2$
$B=\ln (21.6)=3.07$
Intercept $=\ln (2.5 / 90.8)=-3.59$
$Y=-3.59+3.07\left(X_{5701+}\right)$

## Let's calculate screening parameters

|  |  | Hypersensitivity |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Cases | Controls | Total |
| HLA-B | $5701+$ | 2.5 | 4.2 | 6.7 |
|  | $5701-$ | 2.5 | 90.8 | 93.3 |
| Total |  | 5 | 95 | 100 |

Sensitivity $=a /(a+c)=$ test + who will develop hypersensitivity
Specificity $=d /(b+d)=$ test - who won't develop hypersensitivity
Positive predictive value $=\mathrm{a} /(\mathrm{a}+\mathrm{b})=$ develop hypersensitivity who test +
Negative predictive value $=\mathrm{d}(\mathrm{c}+\mathrm{d})=$ don't develop hypersensitivity who test -

## Let's calculate screening parameters

|  |  | Hypersensitivity |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  | Cases | Controls | Total |
| HLA-B | $5701+$ | 2.5 | 4.2 | 6.7 |
|  | $5701-$ | 2.5 | 90.8 | 93.3 |
| Total |  | 5 | 95 | 100 |

Sensitivity $=a /(a+c)=2.5 / 5=50 \%$
Specificity $=d /(b+d)=90.8 / 95=96 \%$
Positive predictive value $=a /(a+b)=2.5 / 6.7=37 \%$
Negative predictive value $=d(c+d)=90.8 / 93.3=97 \%$

## Number needed to treat

- (1/frequency of allele * 1/PPV)
- $(1 / 0.067)$ * $1 /(0.37)=40.3$
- How many people do we need to genotype to get one person with a 5701 allele (and then we give those people a different medication)
- How many of those people would have developed hypersensitivity if they did not receive a different medication (1 out of 3 ).


## What we learned

- Why we study genetic epidemiology.
- The types of genetic variation and their effect on phenotypes.
- How population genetics principles can help us and hurt us in genetic epidemiology, especially related to population substructure (ancestry patterns) and linkage disequilibrium.
- How family studies can pinpoint loci linked to outcomes.
- Types of genetic data available and their pros and cons.
- How we conduct association studies and calculate odds ratios using $2 \times 2$ table and logistic regression.
- How to conduct genome wide association studies and consider rare variants.


## What we learned

- Bioethical principles and public health screening parameters to help us decide whether and how to conduct studies and implement results.
- The principles in conducting gene-environment interaction studies including practical issues that need to be taken into account.
- Pharmacogenetics and precision medicine leverages many of the principles of genetic epidemiology to tailor medications for individual patients.
- Mendelian Randomization studies use genetics as proxies for modifiable risk factors to study associations between risk factor and outcome while overcoming some of the common pitfalls in observational epidemiology.
- There is an increasing interest in leveraging GWAS results to generate risk prediction models in the general population.

